

The SCEC Community Stress Model (CSM) Project

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Community Stress Model (CSM):

- New project starting in SCEC4.
- Long-term goal: a model or set of models of stress and stressing rate in the southern California lithosphere.
- The CSM will probably not be a single model, but a (hopefully small) set of models.
- Any branches in the CSM will be based on clearly-defined differences in data or assumptions.

Who are the users of the CSM and what do they need?

External users: Rupture dynamics, geodynamics, seismic hazard, stress triggering, others?

Needs: You tell us! (Invite representatives of external user communities to all workshops.)

Provide: One or more reference stress and stressing rate models, accessible through an interface developed jointly with the user communities.

Internal users: Researchers working on problems directly related to stress.

Needs: Access to existing data and models, easier ways to integrate and compare models and observations.

Provide: A modeling environment with tools that will enable researchers to develop and test candidate models against suites of data and/or quantitatively compare their models with other models.

Progress:

- First workshop, September 2011, at SCEC Annual Meeting. Large wide-ranging group discussion.
- Second workshop, October 2012: compiled and compared existing stress and stressing rate models from the SCEC community.
 - All models in common format on pre-defined 3D grid.
 - Most models were submitted as full 6-component stress or stressing rate tensors.
- Third workshop planned for May 29-30 2013: focus on reconciling stressing rate models, and validating models with data.

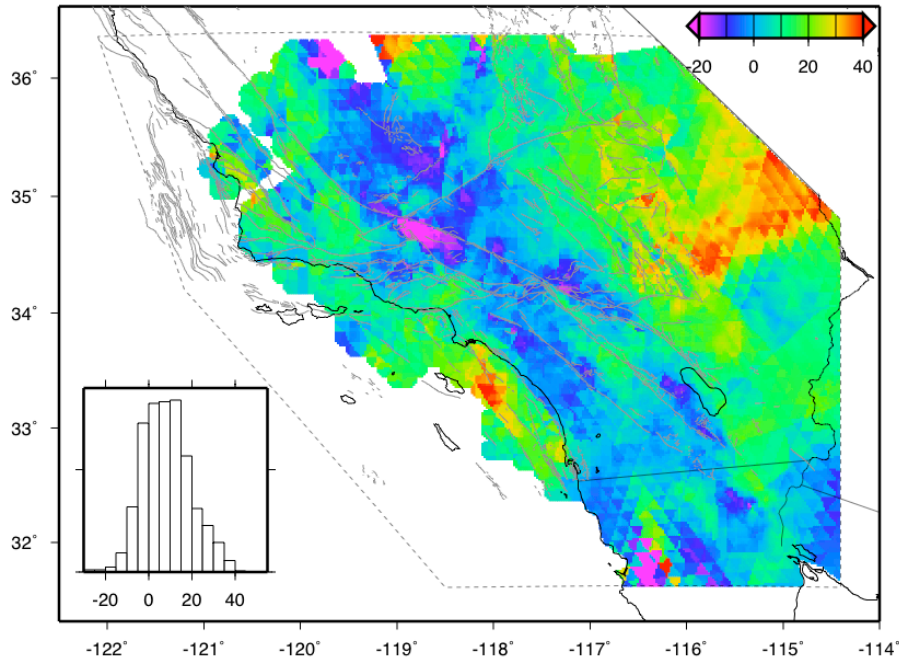
Contributed Models:

Stress:

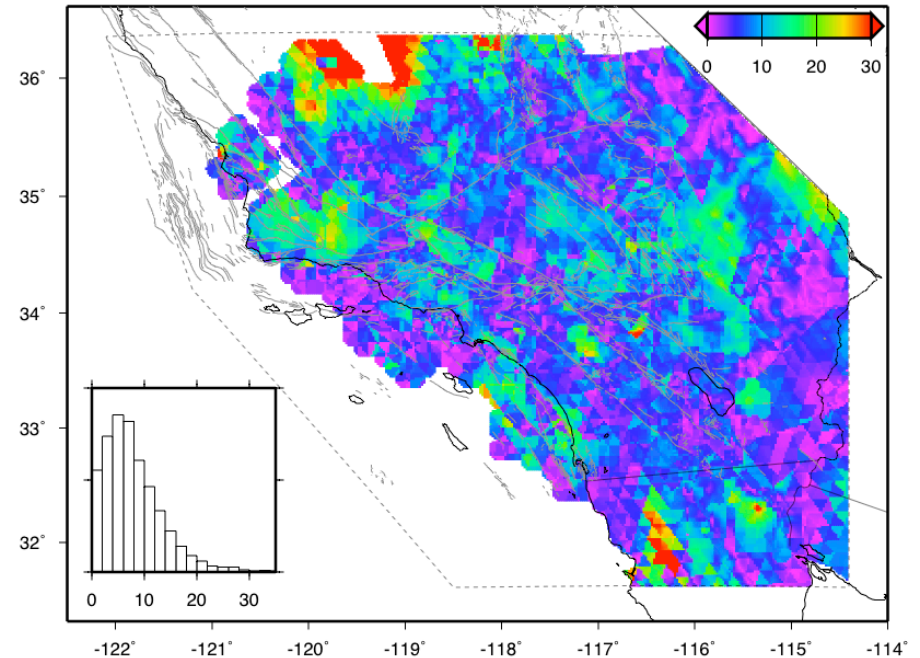
- 1) Inversion of focal mechanisms for stress orientation. – *Wenzheng Yang and Egill Hauksson (Caltech)*.
- 2) Finite element model including topography, depth-dependent rheology, frictional faults, and long-term deformation model. – *Peter Bird (UCLA)*.
- 3) Inversion for stress field that fits topography, fault loading from dislocation model, tectonic loading, and focal mechanisms. – *Karen Luttrell (USGS), Bridget Smith-Konter (Texas), and David Sandwell (UC San Diego)*.
- 4) Global model from density-driven mantle flow, plus lithosphere gravitational potential energy, fit to geoid and global plate motions. – *Attreyee Ghosh and Thorsten Becker (USC)*.

Average Stress Model: average normalized deviatoric stress tensor.

SHmax trend (degrees); depth=5 km



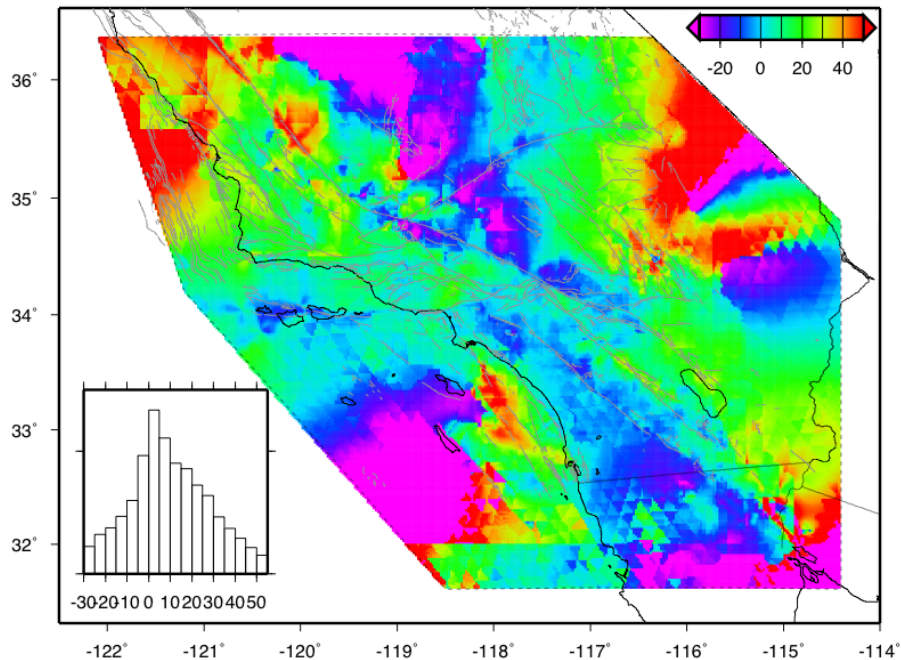
SHmax RMS (degrees); depth=5 km



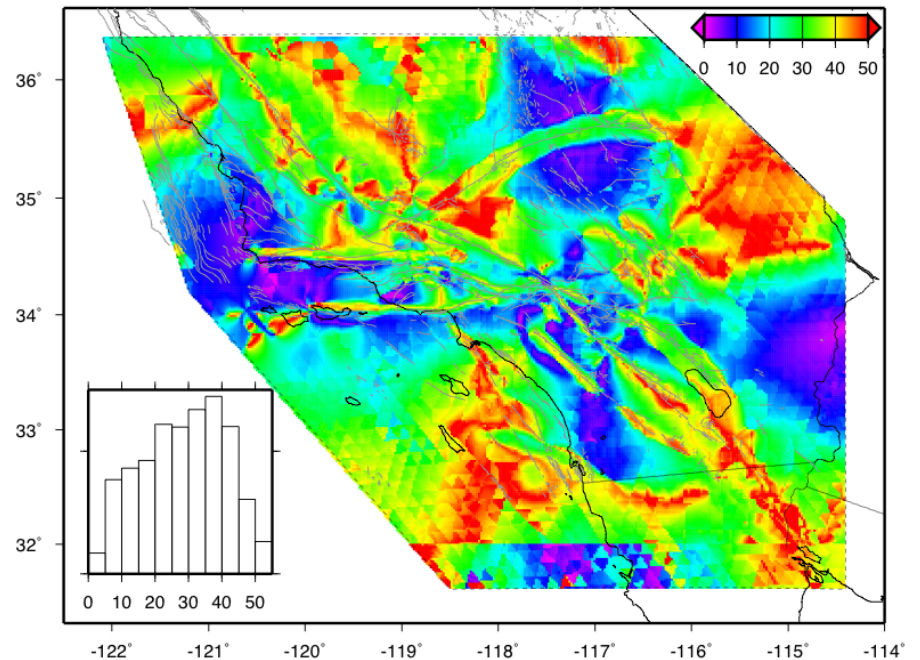
* Average of Bird; Luttrell, Smith-Konter & Sandwell; and Yang & Hauksson models, everywhere at least two of these models are defined.

Average Stress Model: average normalized deviatoric stress tensor.

SHmax trend (degrees); depth=19 km



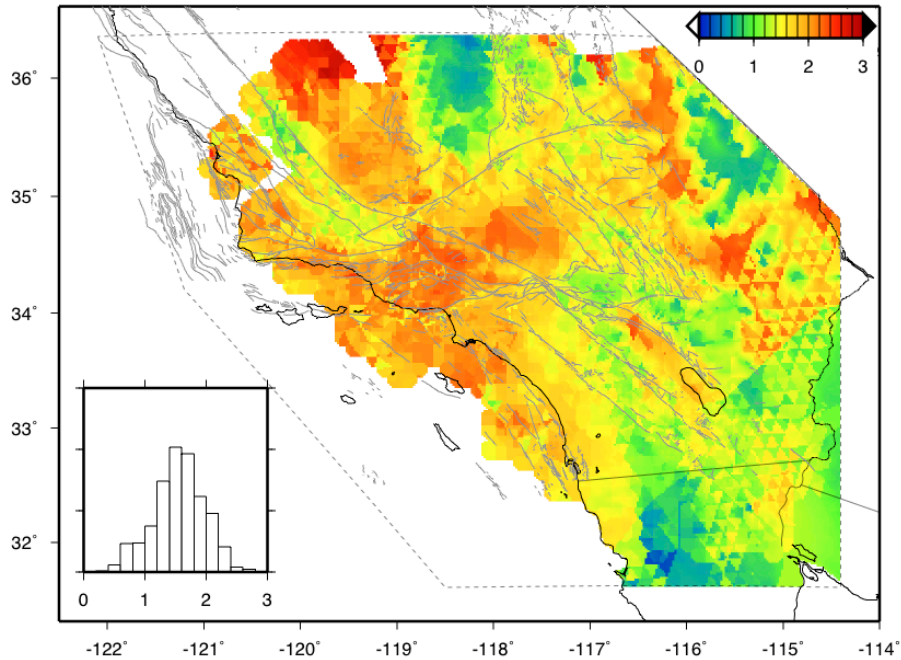
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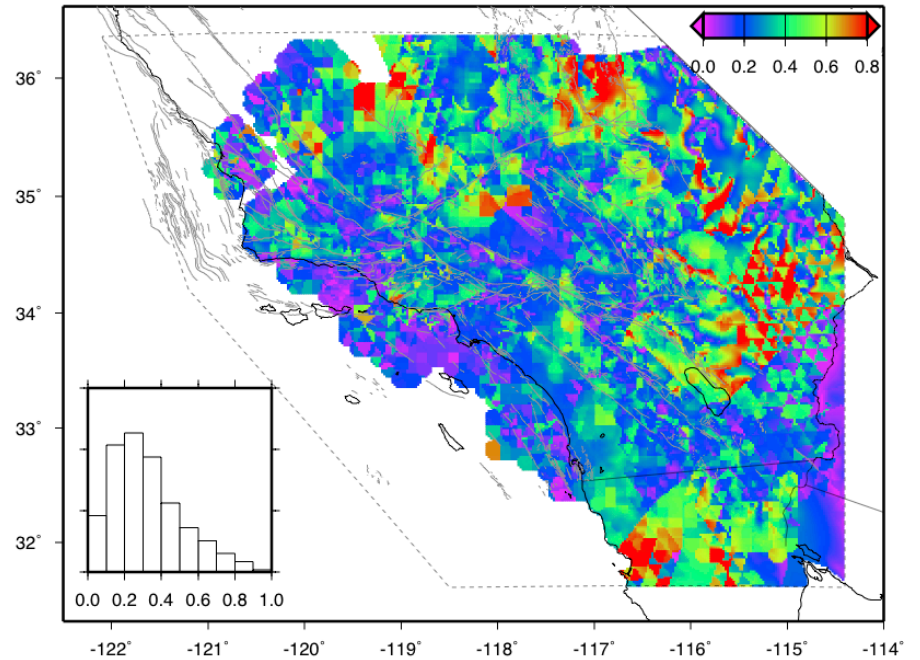
* Average of Bird; Luttrell, Smith-Konter & Sandwell; and Yang & Hauksson models, everywhere at least two of these models are defined.

Average Stress Model: average normalized deviatoric stress tensor.

A_phi; depth=5 km



A_phi RMS; depth=5 km



$$\phi = (\sigma_2 - \sigma_3) / (\sigma_1 - \sigma_3)$$

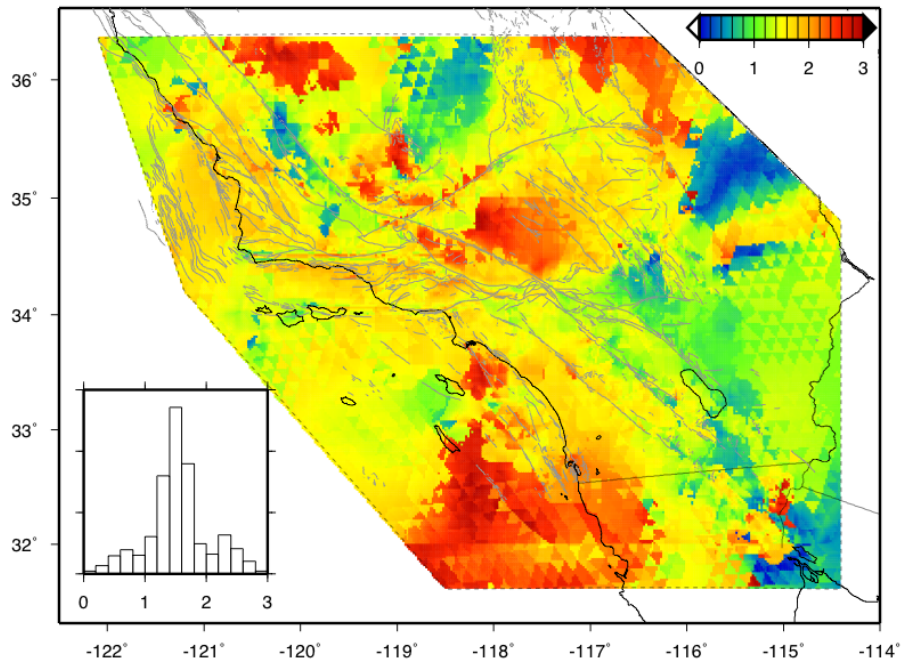
$A_\phi = \phi$ 0-1 : normal faulting (σ_1 most vertical)

$A_\phi = 2 - \phi$ 1-2 : strike-slip faulting (σ_2 most vertical)

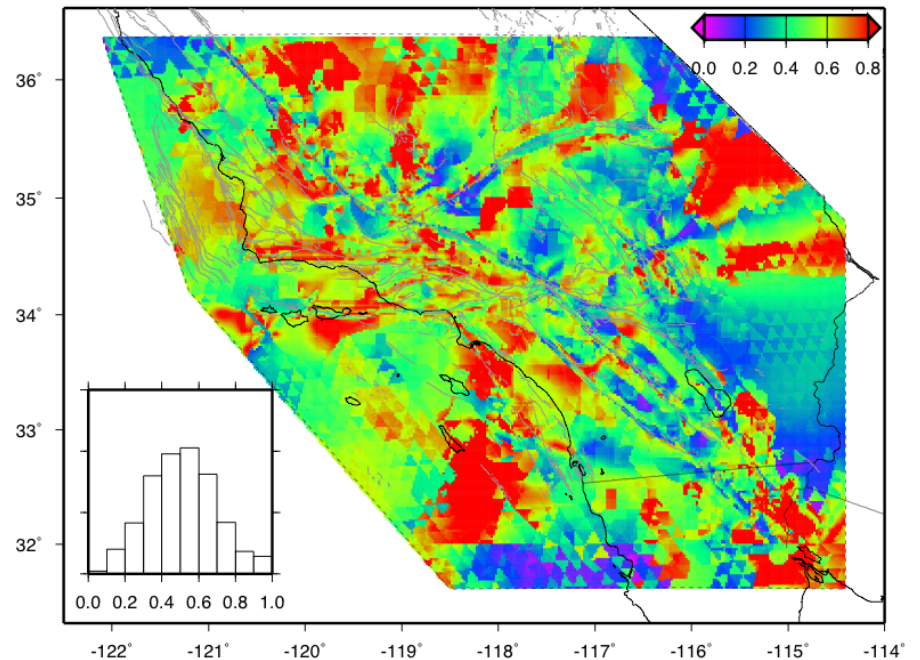
$A_\phi = 2 + \phi$ 2-3 : reverse faulting (σ_3 most vertical)

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A_phi; depth=19 km



A_phi RMS; depth=19 km



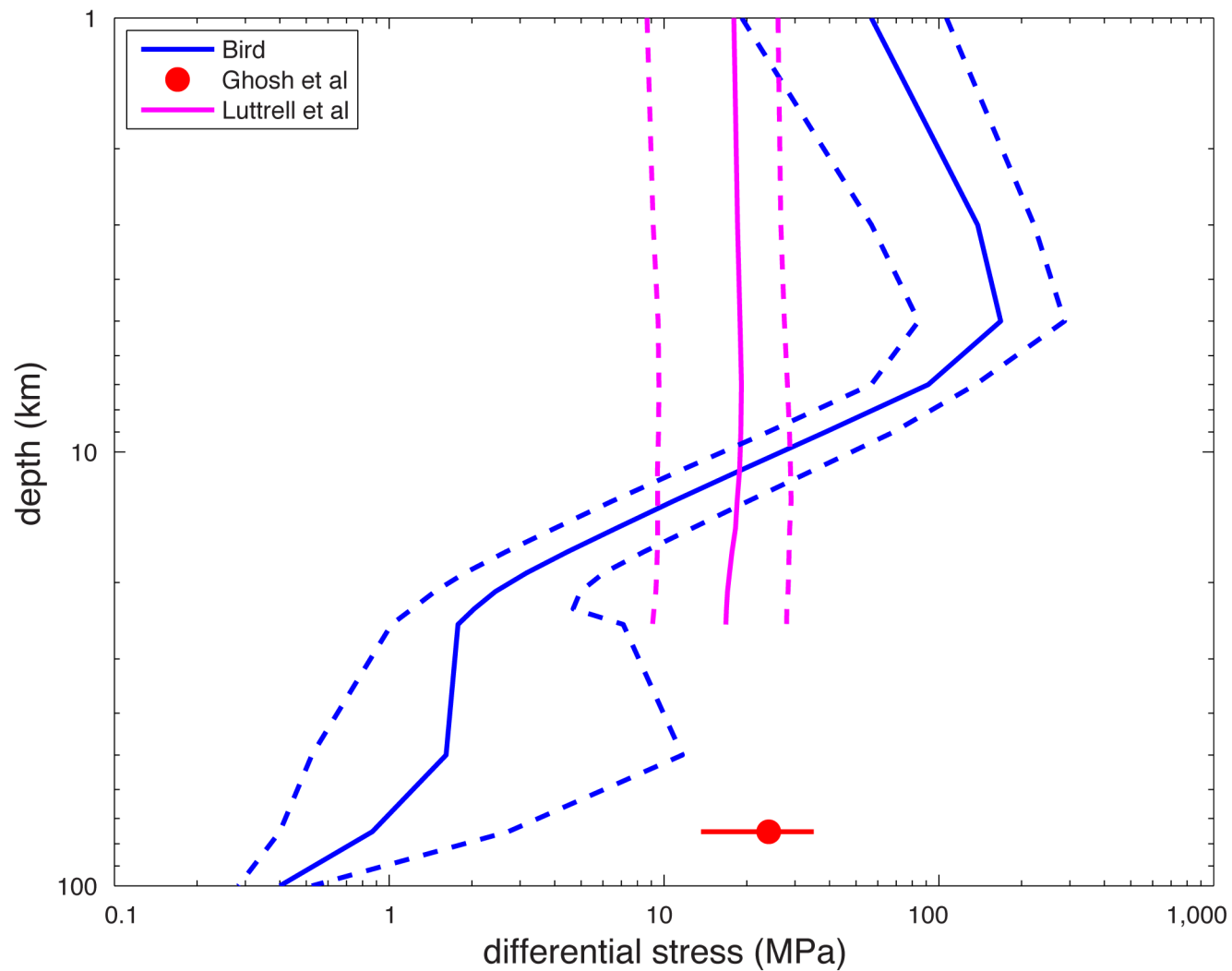
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Stress Models: differential stress ($\sigma_1 - \sigma_3$) versus depth.



Solid line/symbol: median. Dashed line: middle 68%.

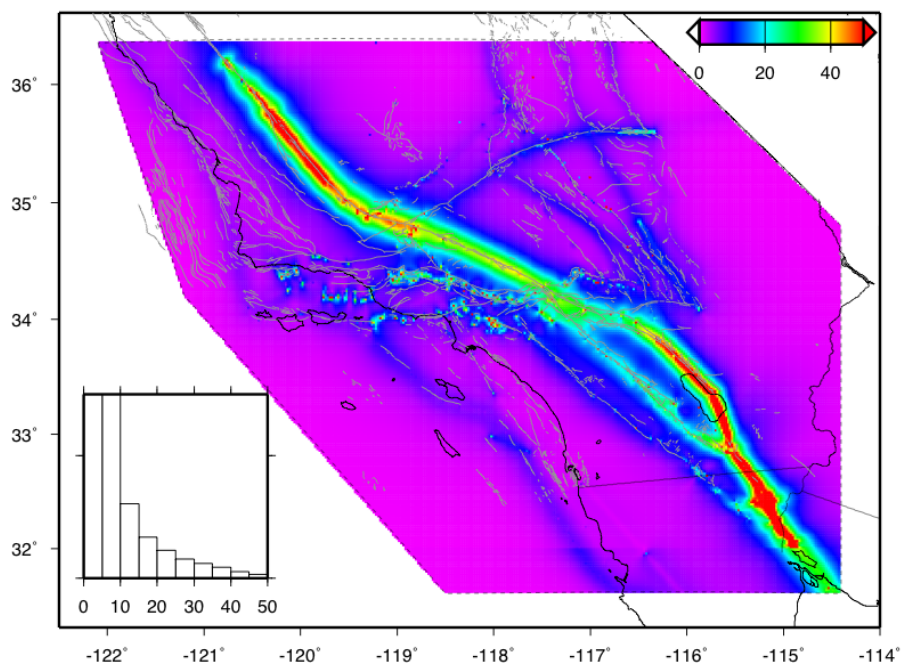
Contributed Models:

Stressing Rate:

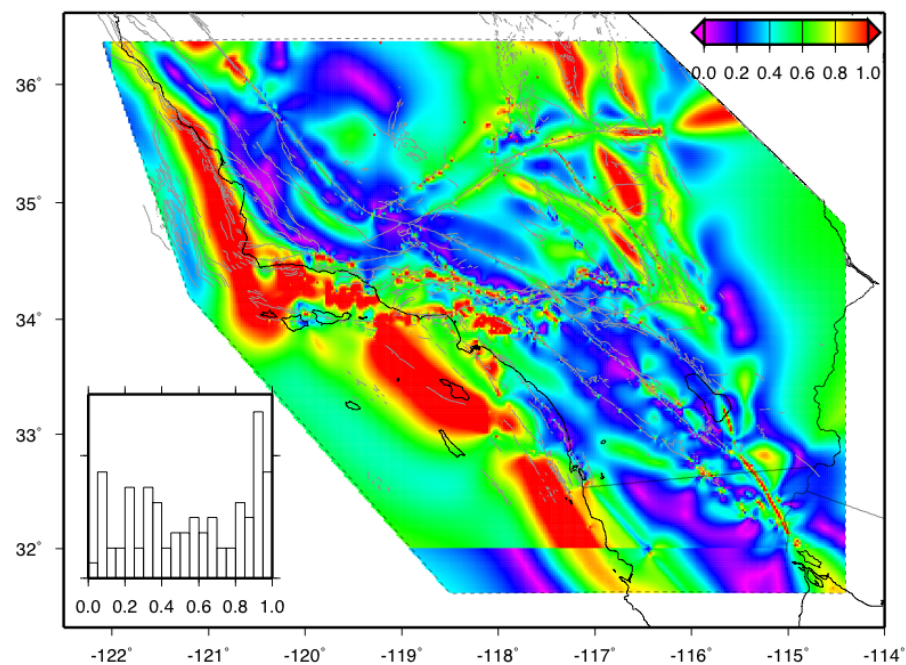
- 1) Block model fit to geodetic data. – *Jack Loveless (Smith) and Brendan Meade (Harvard)*.
- 2) Fault loading from dislocation model using geologic and geodetic slip rates. – *Bridget Smith-Konter (Texas), and David Sandwell (UC San Diego)*.
- 3) Fault loading from dislocation model plus static stress changes from earthquakes. – *Anne Strader and David Jackson (UCLA)*.
- 4) Local boundary element model fit to slip rates. – *Michele Cooke (UMass) and Scott Marshall (Appalachian State)*.

Average Stress Rate Model: average differential stressing rate: $\delta(\sigma_1 - \sigma_3)/\delta t$.

diff stressing rate (kPa/yr); depth=5 km

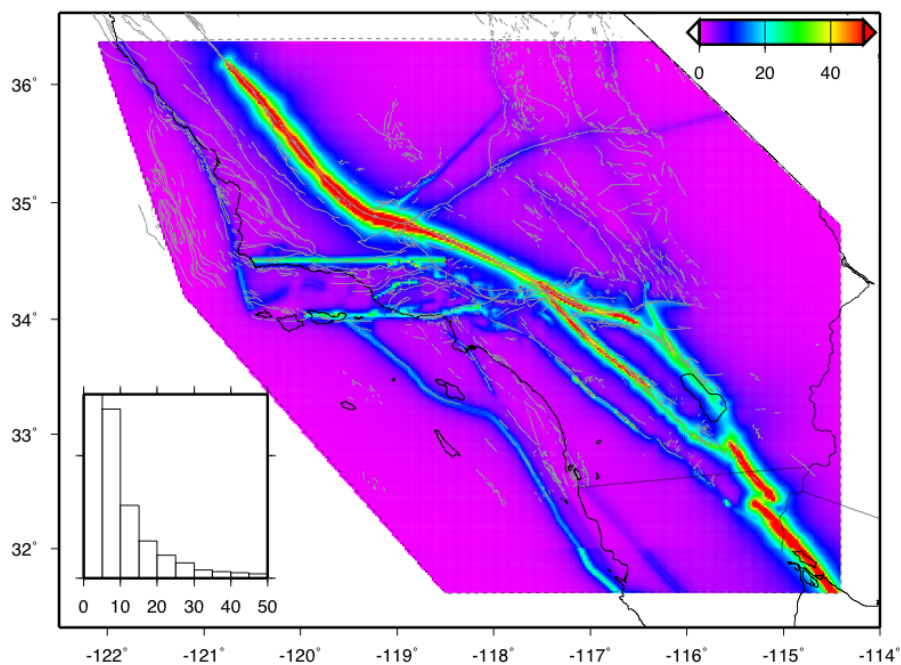


diff stressing rate RMS (fraction); depth=5 km

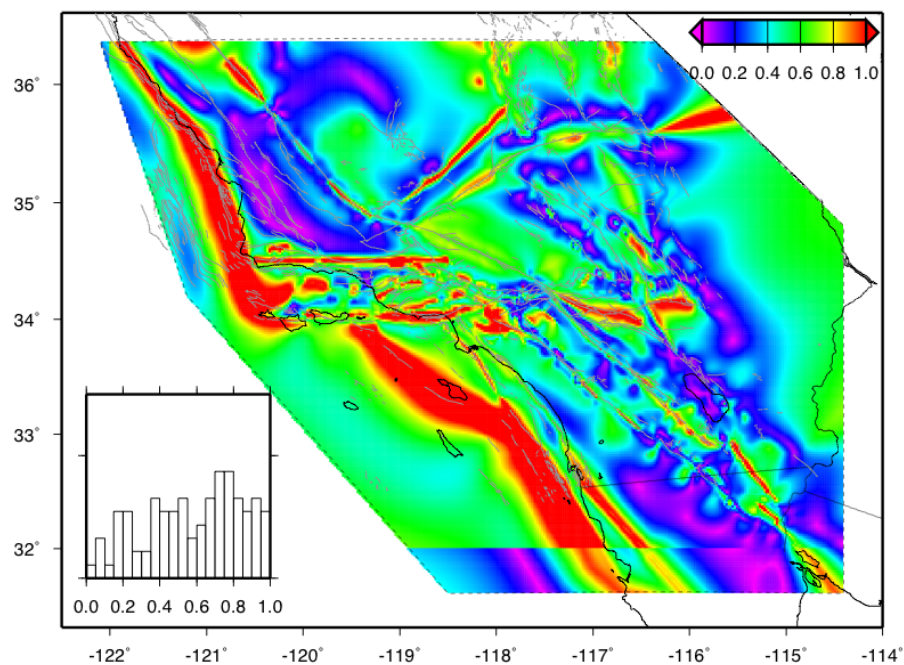


Average Stress Rate Model: average differential stressing rate: $\delta(\sigma_1 - \sigma_3)/\delta t$.

diff stressing rate (kPa/yr); depth=17 km

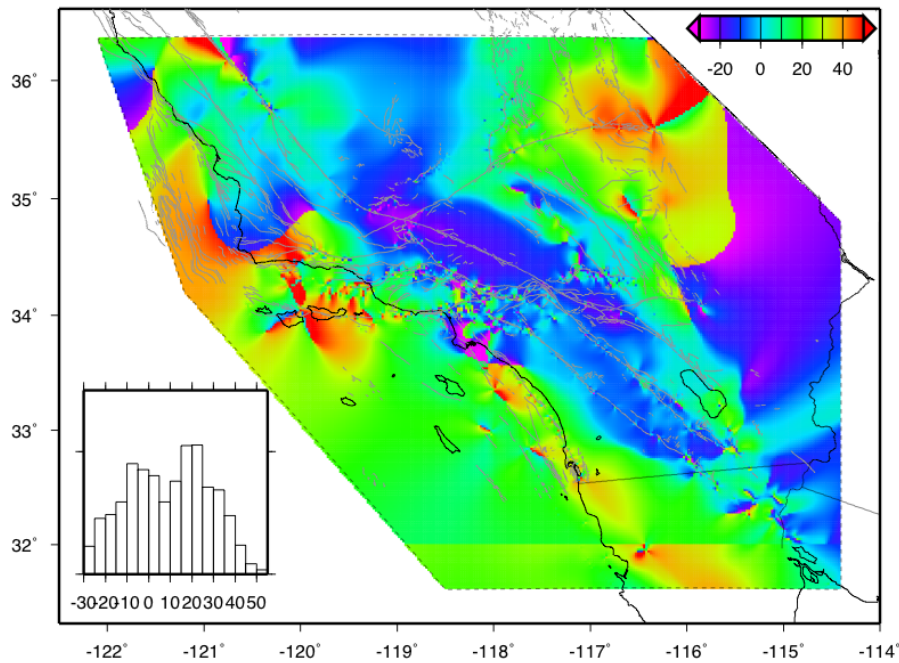


diff stressing rate RMS (fraction); depth=17 km

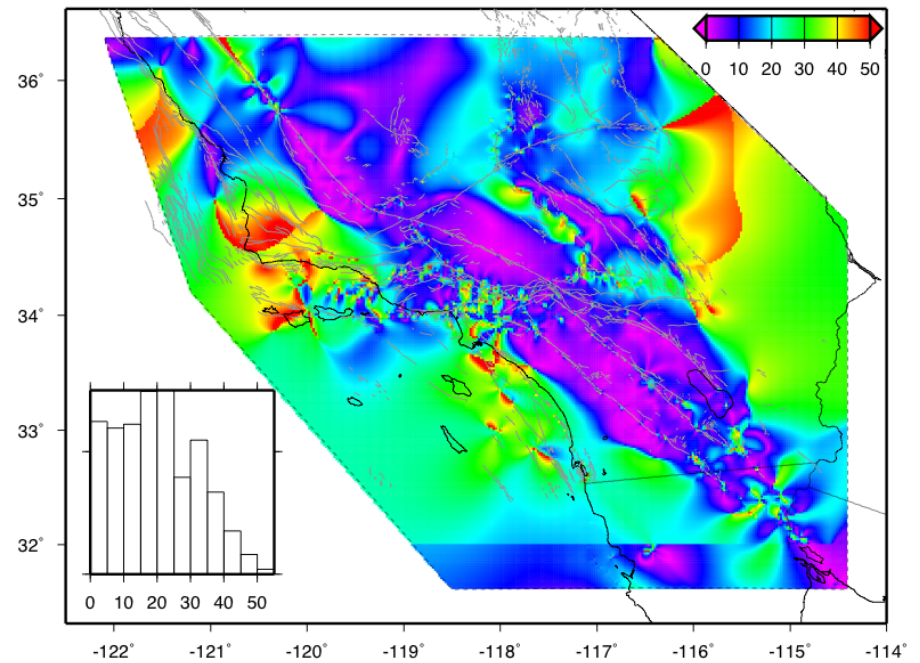


Average Stress Rate Model: average normalized deviatoric stress tensor – orientation only.

SHmax trend (degrees); depth=5 km

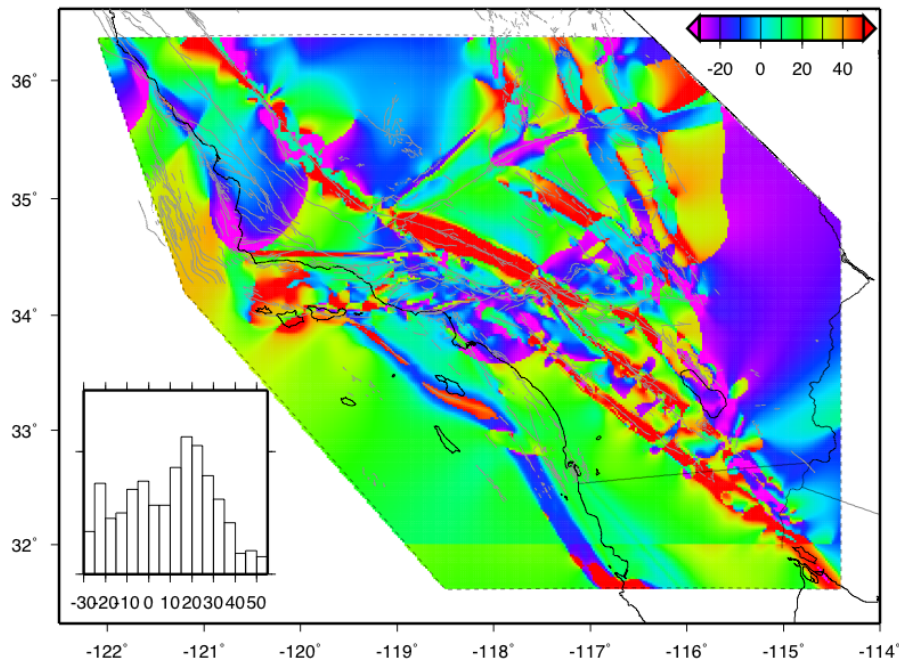


SHmax RMS (degrees); depth=5 km

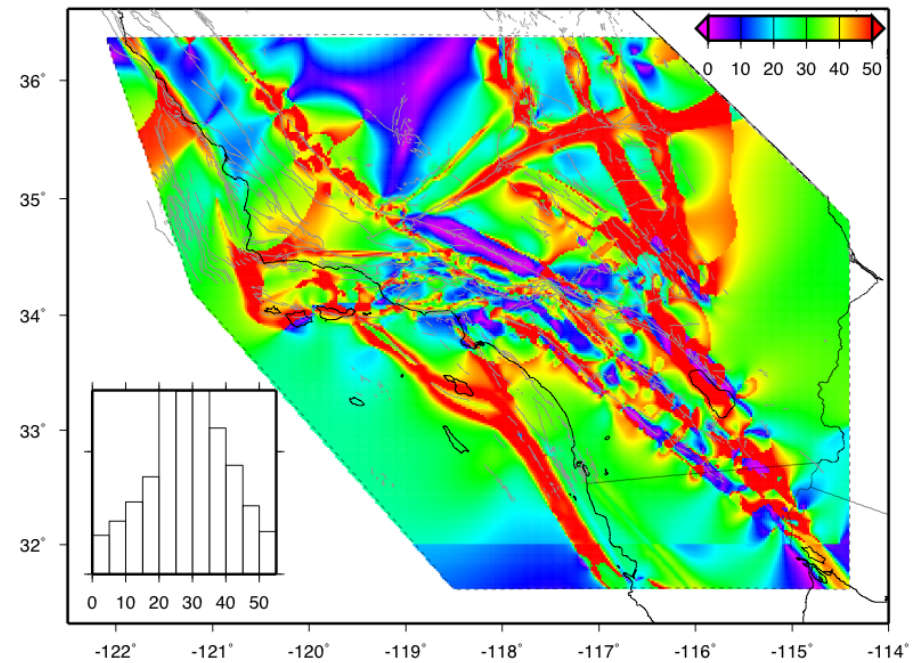


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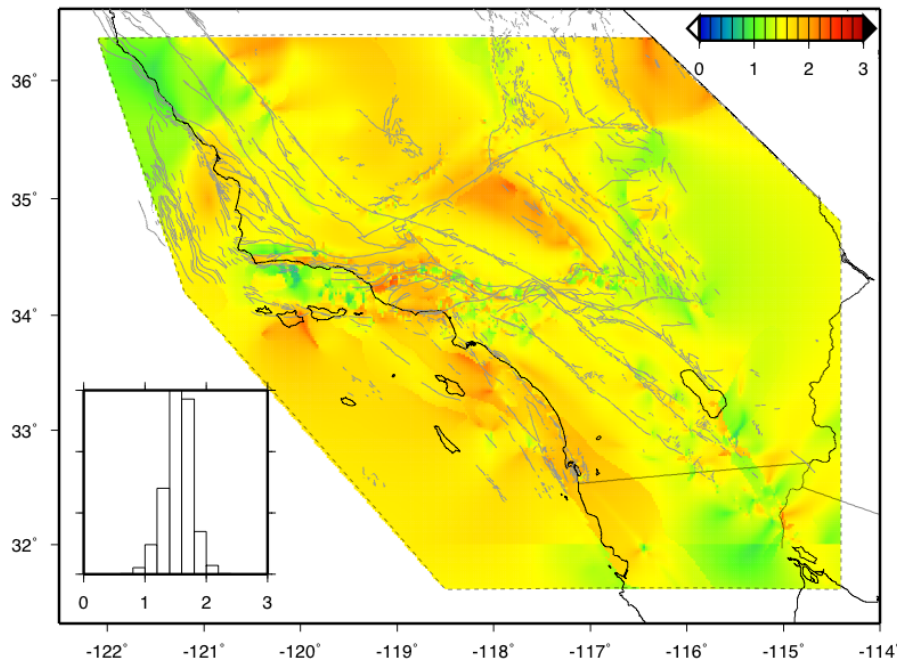


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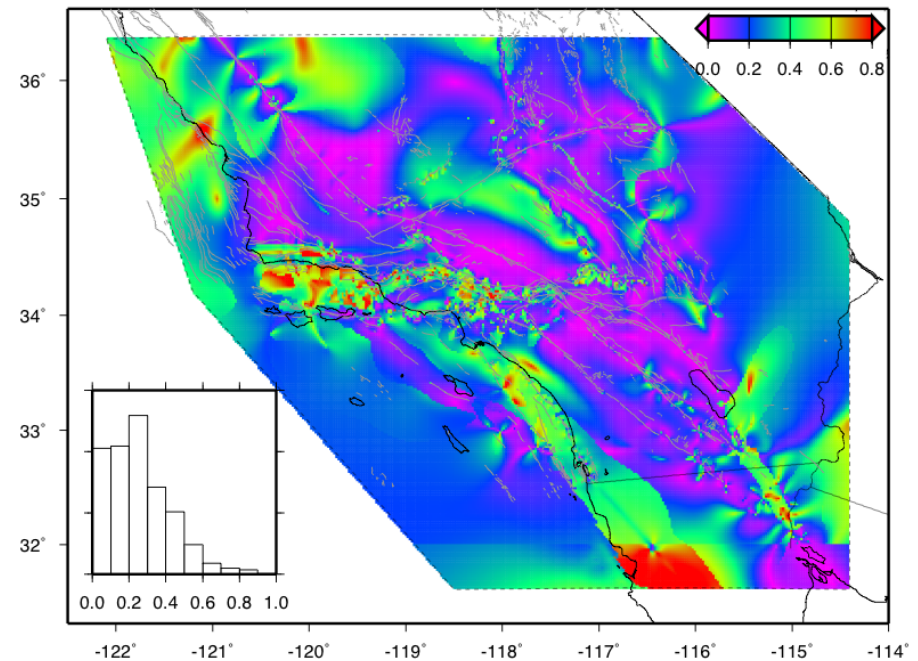


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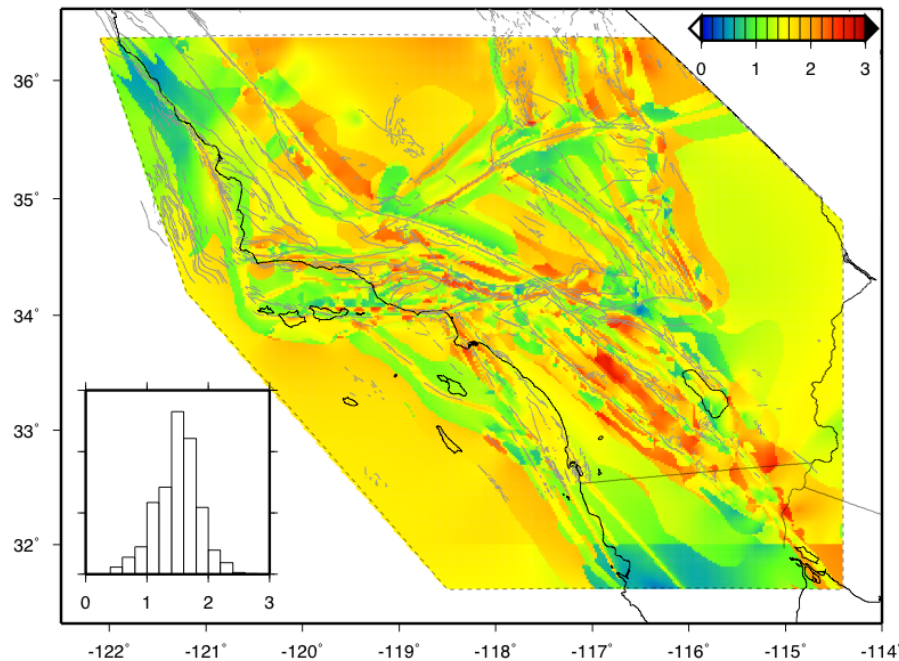
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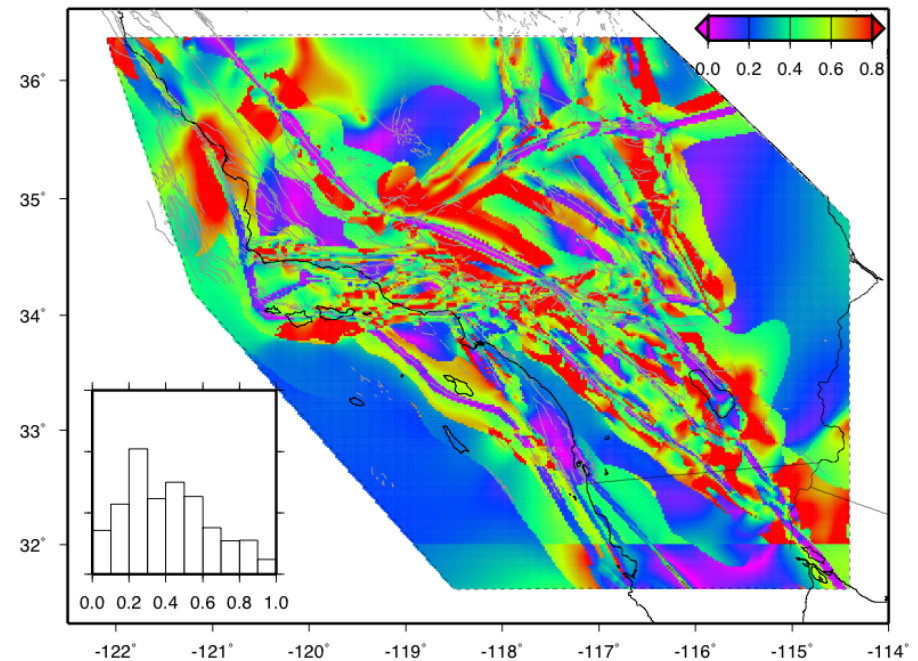
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A ϕ =2+ ϕ 2-3 : reverse faulting (σ_3 most vertical)

How can the CSM benefit from a better understanding of ductile rheology?

- Physics-based stress and stressing rate models rely on assumptions about rheology.
- Stress and stressing rate models are generally in good agreement in the upper crust where elastic and brittle deformation dominate.
- Models become more different near the base of the seismogenic zone. Much of this disagreement is due to differences in assumed fault locking depth – better understanding of the brittle-ductile transition could reduce this source of uncertainty.
- Very poor agreement of models below seismogenic depths. Therefore, the depths where we are in most need better constraints are the depths where ductile rheology is important.
- If you have a physics-based model of stress and/or stressing rate in the lithosphere, please consider contributing it to the CSM project.