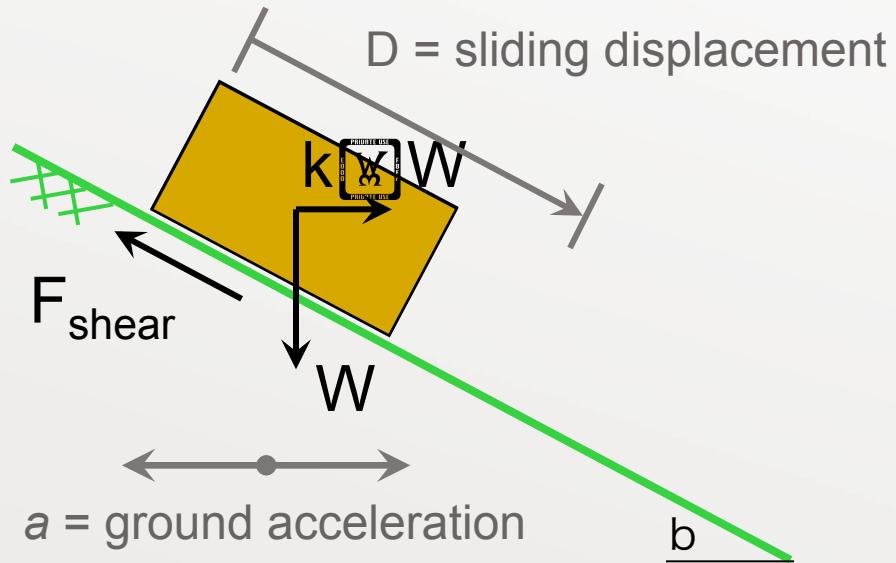


# Validation of Ground Motion Simulations for Seismic Slope Stability

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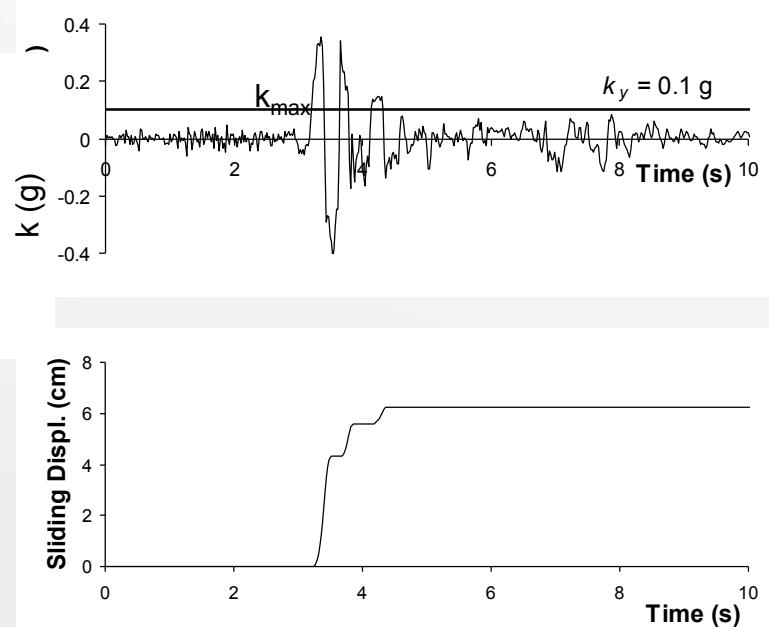


# Sliding Block Model



$k$  = seismic coefficient  
 $k_y$  = yield seismic coefficient  
or yield acceleration

If  $k$  exceeds  $k_y$ :

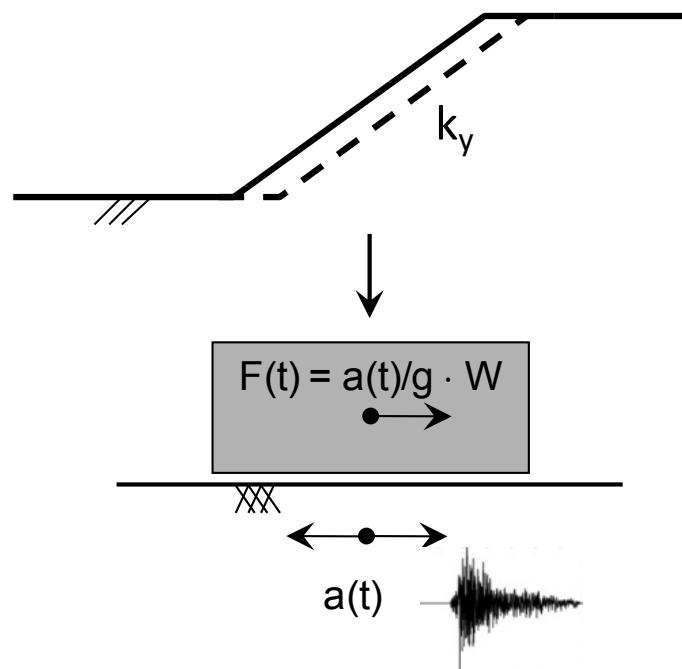


Analysis used for natural slopes, cut/fill slopes, dams, landfills

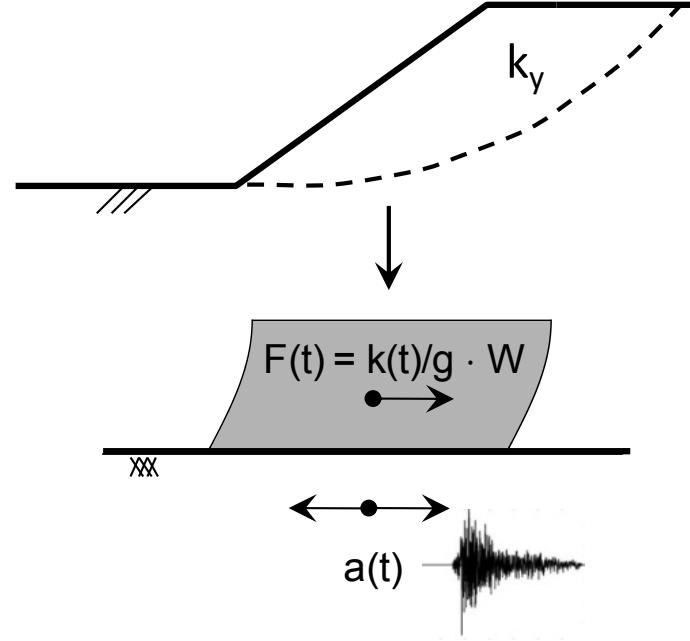
D: damage index for the seismic performance of the slope

# Rigid vs. Flexible Sliding Masses

**Rigid Sliding Mass**



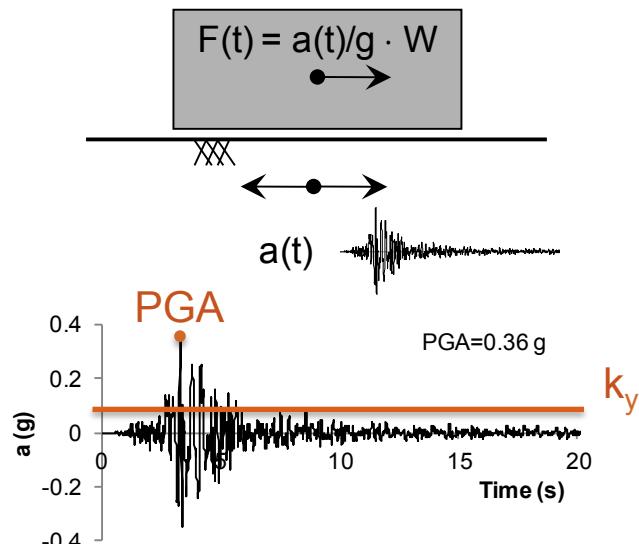
**Flexible Sliding Mass**



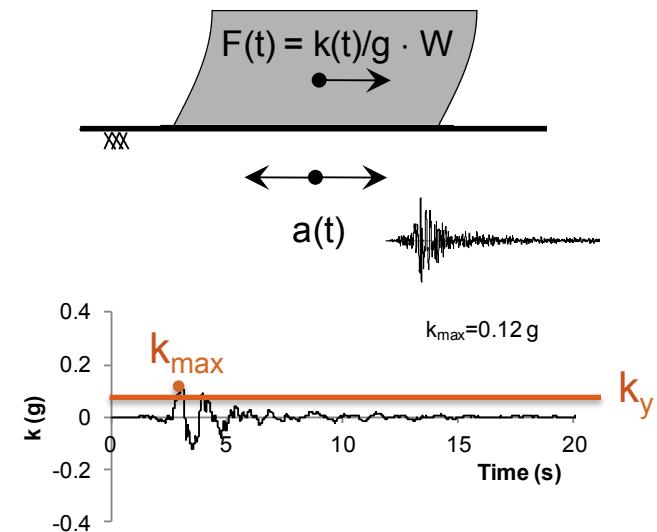
# Flexible Sliding:

## Calculate dynamic response (k-time history) followed by displacement response

### Rigid Sliding

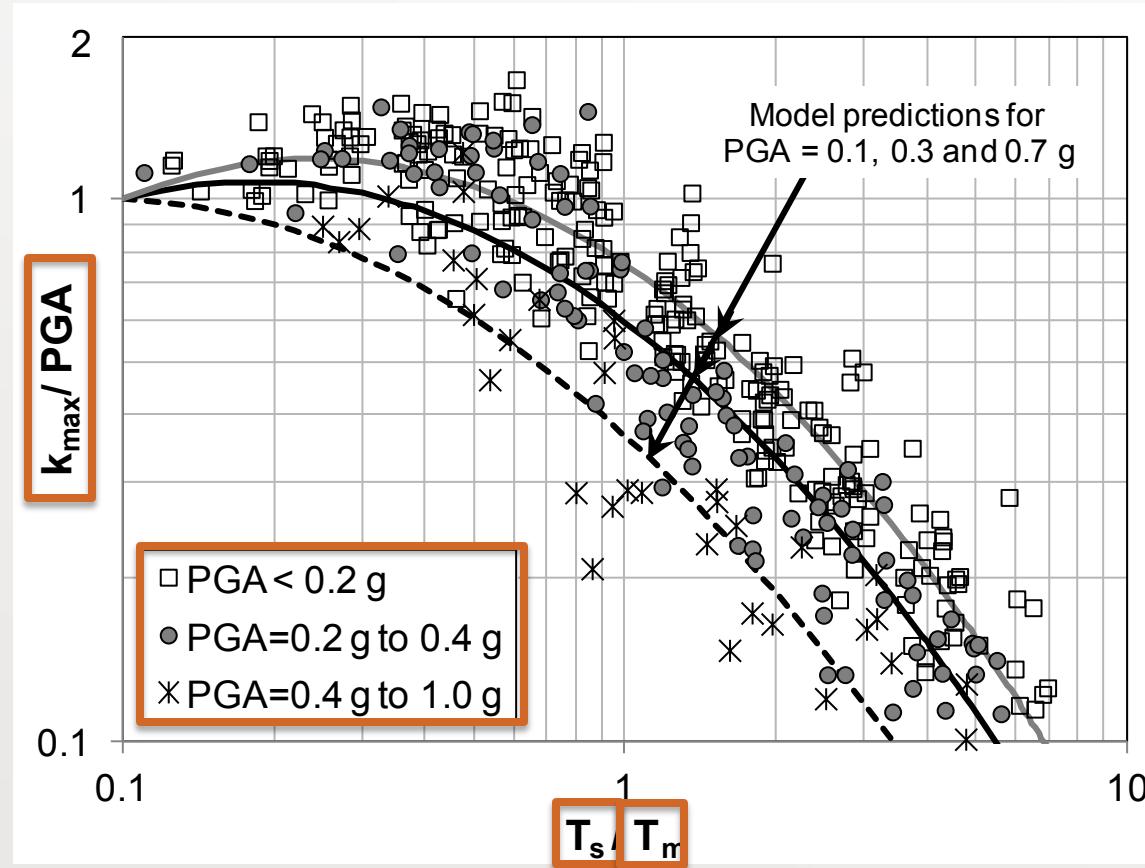


### Flexible Sliding



Time series are used as input into dynamic and sliding response analyses

# GM and Site Parameters Affecting $k_{\max}$



Natural period of  
sliding mass

Mean period of  
motion

Rathje and Antonakos  
(2011)

# Empirical Displacement Models

## *Rigid Sliding*

e.g., Saygili and Rathje (2008) / Rathje and Saygili (2009)

Scalar Model  
(PGA, M)

$$\ln D = a_1 + a_2 \left( \frac{k_y}{PGA} \right) + a_3 \left( \frac{k_y}{PGA} \right)^2 + a_4 \left( \frac{k_y}{PGA} \right)^3 + a_5 \left( \frac{k_y}{PGA} \right)^4 + a_6 \ln(PGA) + a_7(M - 6)$$

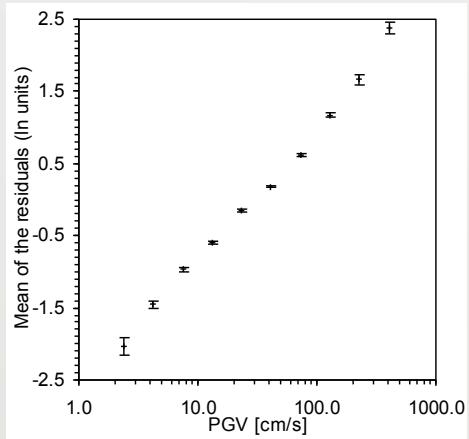
Vector Model  
(PGA, PGV)

$$\ln D = a_1 + a_2 \left( \frac{k_y}{PGA} \right) + a_3 \left( \frac{k_y}{PGA} \right)^2 + a_4 \left( \frac{k_y}{PGA} \right)^3 + a_5 \left( \frac{k_y}{PGA} \right)^4 + a_6 \ln(PGA) + a_7 \ln(PGV)$$

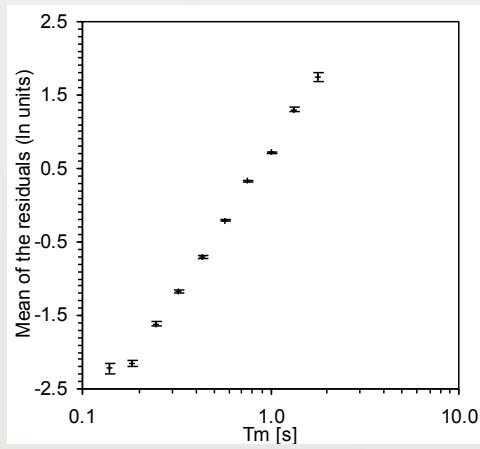
# GM Parameters Affecting Displ.

- PGA indicates if  $k_y$  is exceeded
- Given PGA, other parameters significantly affect displacement (Saygili and Rathje 2008)

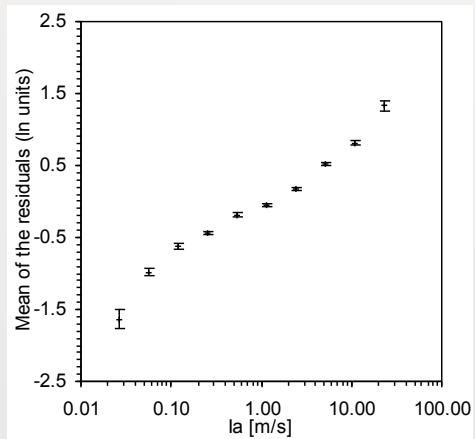
*Residual ( $\ln D_{obs} - \ln D_{pred}$ )*



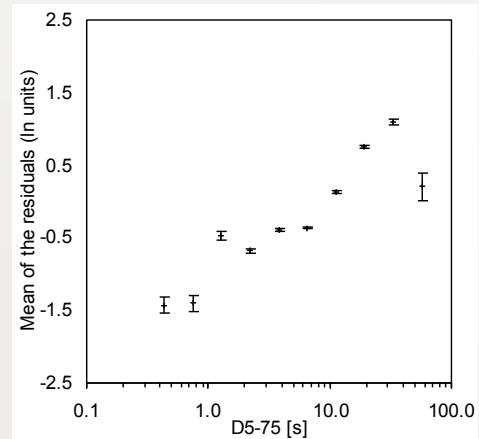
*PGV (cm/s)*



*$T_m$  (s)*



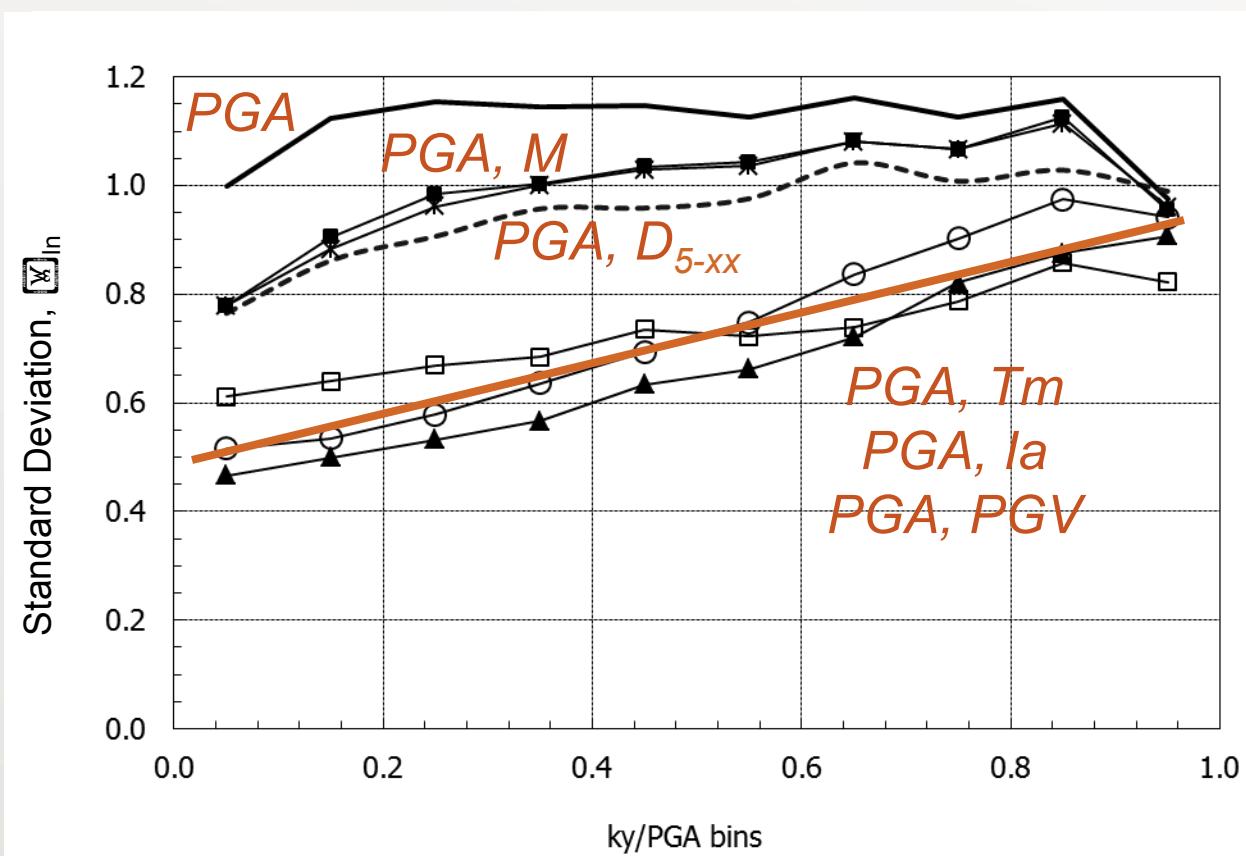
*$I_a$  (m/s)*



*$D_{5-75}$  (s)*

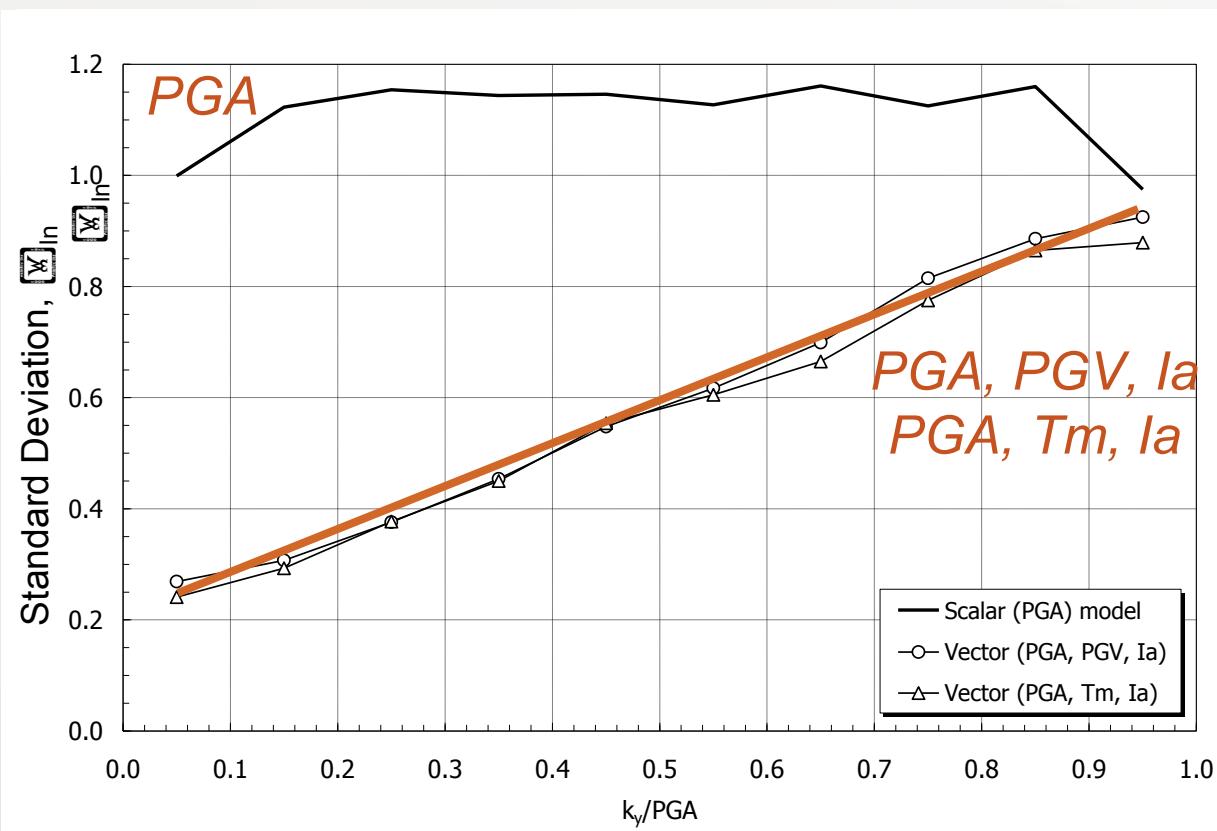
# GM Parameters Affecting Displ.

- Influence on standard deviation of displacement prediction ( $\text{W}_{\text{InD}}$ )



# GM Parameters Affecting Displ.

- Influence on standard deviation of displacement prediction ( $\bar{\chi}_{\text{InD}}$ )



# Approaches to Validation

- Motion-specific comparisons
  - Compare responses predicted by recorded motions and corresponding simulated motion
- Comparisons with empirical relationships
  - Compare response predicted by simulated motions with those predicted by empirical relationships
  - Use existing empirical relationships or relationship developed from recorded motions

# Validation Approach 1

- Using simulated motion and corresponding recorded motion:
  - Compare ground motion parameters that affect sliding displacement (PGA, PGV,  $T_m$ ,  $I_a$ )
  - Compare dynamic response ( $k_{max}$ ) of sliding masses with different site periods ( $T_s$ )
  - Compare displacements (D) computed for different  $k_y$

# Validation Approach 2

- Using simulated motions and empirical displacement models
  - Compare D from the simulated motion and displacement model GIVEN ground motion parameters of simulated motion
  - Use Saygili and Rathje (2008) model, others, model developed from recorded motions
  - Look at residuals across all motions to identify systematic trends